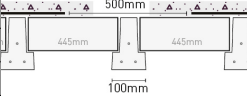
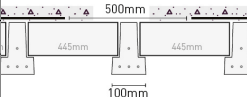
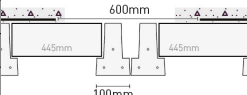
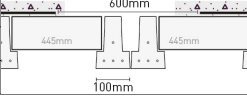


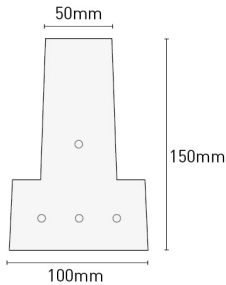


Load Span Tables

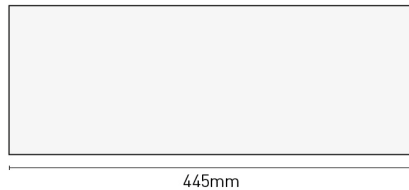
Load/Span Chart

for 150mm deep beams at varying centres

Blocks Density (kg/m ³)	Self Weight	Super Imposed Load (kN/m ²)						
		1.5	2.0	2.5	3.0	4.0	5.0	
S500 - 3 Wire								
660		4.240	3.955	3.720	3.521	3.201	2.954	
1350		3.948	3.714	3.516	3.346	3.067	2.847	
1900		3.748	3.545	3.371	3.220	2.969	2.767	
S500 - 4 Wire								
660		4.480	4.199	3.964	3.764	3.439	3.185	
1350		4.148	3.921	3.727	3.559	3.280	3.056	
1900		3.630	3.735	3.565	3.417	3.166	2.963	
D600 - 3 Wire								
660		5.226	4.907	4.638	4.402	4.036	3.742	
1350		4.943	4.669	4.436	4.227	3.899	3.632	
1900		4.746	4.502	4.291	4.101	3.799	3.550	
D600 - 4 Wire								
660		5.504	5.193	4.928	4.700	4.323	4.022	
1350		5.192	4.928	4.699	4.499	4.164	3.893	
1900		4.977	4.743	4.537	4.356	4.049	3.799	



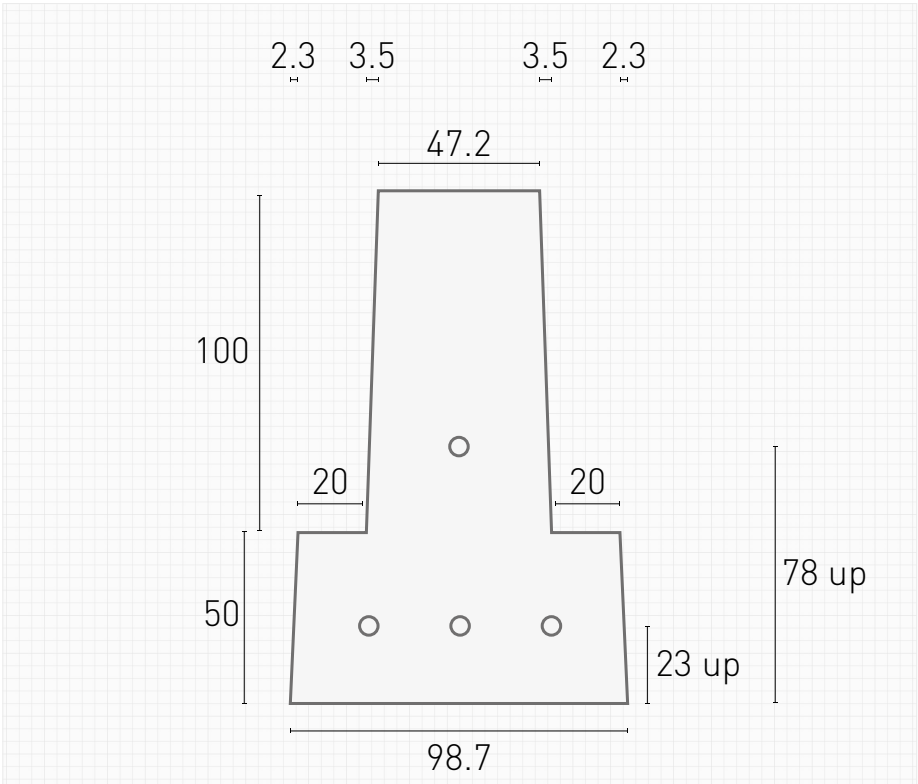
weight = 24kg/m



weight = 24kg/m

150x100 T-Beam

Dimension & Properties



$$\text{Weight of unit} = \frac{24 \times 9895}{10^6} = \mathbf{0.237 \text{ kN/m}}$$

Approximately 24kg/m

3 wires: MRserv = **4.484 kN/m**
MRult = **6.390 kN/m**
Vco = **13.715 kN**

4 wires: MRserv = **4.804 kN/m**
MRult = **8.616 kN/m**
Vco = **14.727 kN**

Note

1. Based upon: BS8110-1:1997 Structural use of concrete
2. 50mm screed

Properties of Section

Area

	No. off	b (mm)	d (mm)	Total Area [mm ²]	'y' (mm)
A =	1	47.2	100.0	4720	100.00
B =	1	94.2	50.0	4710	25.00
C =	2	3.5	100.0	350	116.67
D =	2	2.3	50.0	115	33.33
Total Area = 9.895					

1st moment about Base = Area × 'y'

A =	4720	×	100.00	=	472000
B =	4710	×	25.00	=	117750
C =	350	×	116.67	=	40835
D =	115	×	33.33	=	3833
First Moment about Base				=	634,417 mm³

Position of Neutral Axis from Base:

$$NA_b = 634,417 \div 9,895 = 64.115\text{mm}$$

$$\begin{aligned} \text{1st Moment about Base} \times \text{Neutral Axis from Base} \\ = 634,417 \times 64.115 = 40,675,644 \text{ mm}^4 \end{aligned}$$

Moment of Inertia about Base:

A = 1 [(b × d ³ / 12) + (Area × y ²)]	=	51133333
B = 1 [(b × d ³ / 12) + (Area × y ²)]	=	3925000
C = 2 [(b × d ³ / 36) + (Area × y ²)]	=	4958606
D = 2 [(b × d ³ / 36) + (Area × y ²)]	=	143724
I_{base}		60,160,663 mm⁴

Moment of Inertia about Neutral Axis:

$$\begin{aligned} I_{na} &= 60,160,663 \text{ mm}^4 - 40,675,644 \text{ mm}^4 = 19,485,019 \text{ mm}^4 \\ &= 19,485,019 \text{ mm}^4 = \underline{\underline{19.485019}} \times 10^6 \text{ mm}^4 \end{aligned}$$

3 Wire Beam

Dimensions & Properties

CONCRETE

Depth = 150.00 mm;
 Effective Shear width = $b_v = 47.20$ mm;
 Area = $A = 9,895$ mm²;
 Structural Width = $b = 54.20$ mm;
 Depth of Top = $h_f = 127.00$ mm

Moment of Inertia = $I = 19.485019 \times 10^6$ mm⁴;
 NAb = 64.115 mm;
 Bearing Length = 100mm
Concrete Grade = $f_{cu} = 60$ kN/mm²;
 Concrete Strength at transfer = $f_{ci} = 40$ N/mm²;

Shrinkage = E_{sh} [from Part 2, Fig 7.2] = 300 Youngs Modulus for Concrete Grade = $E_w = 36$ kN/mm² ;
 Youngs Modulus for Concrete at transfer = $E_t = 28$ kN/mm²;
 Flexural Tensile Stress in Concrete (pretensioned) to be based on Class3 Crack Width 0.1mm
 4.3.4.3 Flexural Tensile Stresses in Pretensioned Concrete for Grade 50 or more:
 Class3 Crack Width 0.1mm = $4.8 \times$ Depth factor (Table 4.3) = $4.8 \times 1.1 = 5.3$ N/mm²
 Section Modulus, $Z_t = I / \text{Depth} - N_{ab} = 0.226873 \times 10^6$ mm³
 Section Modulus, $Z_b = I / N_{ab} = 0.303907 \times 10^6$ mm³

STEEL

Characteristic strength of steel = **1,770 N/mm²**. Youngs Modulus for Steel = $E_s = 200$ kN/mm²
 Coefficient for transmission length = $K_t = 600$. Nominal Tendon Diameter = **5.00 mm**

No. of Tendons	Area of each tendon (mm ²)	Distance from base (mm)	Aps = No. x area (mm ²)	Aps x Distance from base (mm ³)	Pk = Aps x Char. strength / 10 ³ (kN)
2	19.64	23.00	39.28	903.44	69.526
1	19.64	78.00	19.64	1,531.92	34.763
3			58.92	2,435.36	104.288
Tendons in TENSION ZONE ONLY, i.e. distance from base is less than NAb:			39.28	903.44	65.526

Centroid (a1) = (Aps x Distance) / Aps = 41.333 mm Eccentricity (e) = NAb - a1 = 22.78 mm
 Centroid of tendons in TENSION ZONE ONLY (a2) = (Aps x Distance) / Aps = 23.000 mm

RELEASE STRESSES

Initial P/S force (P1) = 70% x Pk = 70% x 104.288 kN = 73.002 kN
 Relaxation losses = $P1 \times 1.2 \times 0.025 = 2.190$ kN
 P/S force (P2) = $P1 - (50\% \times \text{Relaxation losses}) = 73.002$ kN - 1.095 kN = 71.907 kN
 fpt [on release] = $\{[(P2 \times 10^3) / \text{Area}] - [(P2 \times e \times 10^3) / Z_t]\}$
 = $\{[(71.907 \times 10^3) / 9,895.00] - [(71.907 \times 22.78 \times 10^3) / 0.226873 \times 10^6]\}$
 = 0.046 N/mm²
 fpb [on release] = $\{[(P2 \times 10^3) / \text{Area}] + [(P2 \times e \times 10^3) / Z_b]\}$
 = $\{[(71.907 \times 10^3) / 9,895.00] + [(71.907 \times 22.78 \times 10^3) / 0.303907 \times 10^6]\}$
 = 12.657 N/mm²

$$\begin{aligned}
 f_c \text{ (on release)} &= (((\text{Depth} - a_1) / \text{Depth}) \times (f_{pb} \text{ [on release]} - f_{pt} \text{ [on release]})) + f_{pt} \text{ [on release]} \\
 &= (((150.00 - 41.333) / 150.00) \times (12.657 - 0.046)) + 0.046 \text{ N/mm}^2 \\
 &= 9.182 \text{ N/mm}^2
 \end{aligned}$$

Elastic deformation losses

$$\begin{aligned}
 \text{loss 1} &= ((P_2 / A) + (P_2 \times e^2 / I \times 10^6)) \times (A_{ps} \times E_s / E_t) \\
 &= ((71.907 / 9,895.00) + (71.907 \times 22.78^2 / 19.485019 \times 10^6)) \times (58.92 \times 200.00 / 28.00) \\
 &= 3.864 \text{ kN}
 \end{aligned}$$

$$\begin{aligned}
 \text{P3 after loss 1} \quad \text{loss 2} &= P_2 - \text{loss 1} = 71.907 - 3.864 \text{ kN} = 68.042 \text{ kN} \\
 &= ((P_3 \text{ after loss 1} / A) + (P_3 \text{ after loss 1} \times e^2 / I \times 10^6)) \times (A_{ps} \times E_s / E_t) \\
 &= ((68.042 / 9,895.00) + (68.042 \times 22.78^2 / 19.485019 \times 10^6)) \times (58.92 \times 200.00 / 28.00) \\
 &= 3.657 \text{ kN}
 \end{aligned}$$

$$\begin{aligned}
 \text{P3 after loss 2} \quad \text{loss 3} &= P_2 - \text{loss 2} = 71.907 - 3.657 \text{ kN} = 68.250 \text{ kN} \\
 &= ((P_3 \text{ after loss 2} / A) + (P_3 \text{ after loss 2} \times e^2 / I \times 10^6)) \times (A_{ps} \times E_s / E_t) \\
 &= ((68.250 / 9,895.00) + (68.250 \times 22.78^2 / 19.485019 \times 10^6)) \times (58.92 \times 200.00 / 28.00) \\
 &= 3.668 \text{ kN}
 \end{aligned}$$

$$\begin{aligned}
 \text{P3 after loss 3} \quad \text{loss 4} &= P_2 - \text{loss 3} = 71.907 - 3.668 \text{ kN} = 68.239 \text{ kN} \\
 &= ((P_3 \text{ after loss 3} / A) + (P_3 \text{ after loss 3} \times e^2 / I \times 10^6)) \times (A_{ps} \times E_s / E_t) \\
 &= ((68.239 / 9,895.00) + (68.239 \times 22.78^2 / 19.485019 \times 10^6)) \times (58.92 \times 200.00 / 28.00) \\
 &= 3.667 \text{ kN}
 \end{aligned}$$

$$\begin{aligned}
 \text{P3 after loss 4} \quad \text{Final Force (P3)} &= P_2 - \text{loss 4} = 71.907 - 3.667 \text{ kN} = 68.240 \text{ kN} \\
 &= 68.240 \text{ kN}
 \end{aligned}$$

$$\begin{aligned}
 f_{pt} \text{ [at transfer]} &= ((P_3 \times 10^3) / \text{Area}) - ((P_3 \times e \times 10^3) / Z_t) \\
 &= ((68.240 \times 10^3) / 9,895.00) - ((68.240 \times 22.78 \times 10^3) / 0.226873 \times 10^6) \\
 &= 0.044 \text{ N/mm}^2
 \end{aligned}$$

$$\begin{aligned}
 f_{pb} \text{ [at transfer]} &= ((P_3 \times 10^3) / \text{Area}) + ((P_3 \times e \times 10^3) / Z_b) \\
 &= ((68.240 \times 10^3) / 9,895.00) + ((68.240 \times 22.78 \times 10^3) / 0.303907 \times 10^6) \\
 &= 12.012 \text{ N/mm}^2
 \end{aligned}$$

$$\begin{aligned}
 f_c \text{ [at transfer]} &= (((\text{Depth} - a_1) / \text{Depth}) \times (f_{pb} \text{ [at transfer]} - f_{pt} \text{ [at transfer]})) + f_{pt} \text{ [at transfer]} \\
 &= (((150.00 - 41.333) / 150.00) \times (12.012 - 0.044)) + 0.044 \text{ N/mm}^2 \\
 &= 8.714 \text{ N/mm}^2
 \end{aligned}$$

Remaining Losses

$$\text{Relaxation} = [50\% \times \text{Relaxation Losses}] = [0.5 \times 2.190] = 1.095 \text{ kN}$$

$$\text{Shrinkage} = [E_{sh} \times E_s \times A_{ps}] / 10^6 = [300 \times 200.00 \times 58.92] / 10^6 = 3.535$$

$$\text{Creep} = [(1.8 / (E_t \times 10^3)) \times E_s \times f_c \text{ [at transfer]} \times A_{ps}] = [(1.8 / [28.00 \times 10^3]) \times 200.00 \times 8.714 \times 58.92] = 6.601 \text{ kN}$$

$$\text{Final P/S force}(P_4) = P_3 - \text{Remaining Losses} = 68.240 - [1.095 + 3.535 + 6.601] = 57.008 \text{ kN}$$

Final Stresses

$$\begin{aligned} f_{pt} [\text{final}] &= [(P_4 \times 10^3) / A] - [(P_4 \times e \times 10^3) / Z_t] \\ &= [(57.008 \times 10^3) / 9,895.00] - [(57,008 \times 22.78 \times 10^3) / 0.226873 \times 10^6] \\ &= 0.037 \text{ N/mm}^2 \end{aligned}$$

$$\begin{aligned} f_{pb} [\text{final}] &= [(P_4 \times 10^3) / A] + [(P_4 \times e \times 10^3) / Z_b] \\ &= [(57.008 \times 10^3) / 9,895.00] + [(57,008 \times 22.78 \times 10^3) / 0.303907 \times 10^6] \\ &= 10.035 \text{ N/mm}^2 \end{aligned}$$

$$\begin{aligned} f_c [\text{final}] &= [((\text{Depth} - a_1) / \text{Depth}) \times f_{pb} [\text{final}] - f_{pt} [\text{final}]] + f_{pt} [\text{final}] \\ &= [(150.00 - 41.333) / 150.00] \times (10.035 - 0.037) + 0.037 \text{ N/mm}^2 \\ &= 7.280 \text{ N/mm}^2 \end{aligned}$$

Service Moment = MR

$$\begin{aligned} MR_t &= [((0.33 \times f_{cu}) - f_{pt} [\text{final}]) \times Z_t] / 10^6 = [((0.33 \times 60) - 0.037) \times 0.226873 \times 10^6] / 10^6 = \\ &= 4.484 \text{ kNm} \end{aligned}$$

$$\begin{aligned} MR_b &= [(f_{pb} [\text{final}] + \text{Flex.Tensile Stress}) \times Z_b] / 10^6 = [(10.035 + 5.3) \times 0.303907 \times 10^6] / \\ &= 4.654 \text{ kNm} \end{aligned}$$

$$\mathbf{MR = 4.484 \text{ kNm}}$$

Ultimate Moment = Mu

Mu is determined by using tendons in the TENSION ZONE ONLY = a2

$$a_3 = \text{Depth} - a_2 = 150.00 - 23.000 = 127.000 \text{ mm}$$

$$P_u = 0.87 \times P_k(\text{tension}) = 0.87 \times 69.526 = 60.487 \text{ kN}$$

$$a_{cl} = [(P_u \times 10^3) / (0.45 \times f_{cu} \times b_v)] = [60.487 \times 10^3] / [0.45 \times 60 \times 47.20] = 47.463 \text{ mm}$$

$$M_u = [P_u \times (a_3 - (a_{cl} \times 0.45))] / 10^3 = [60.487 \times (127.000 - (47.463 \times 0.45))] / 10^3$$

$$\mathbf{= 6.390 \text{ kNm}}$$

Ultimate Shear Resistance = Vco

$$f_t = 0.24 \times \text{Sqrt}(f_{cu}) = 0.24 \times \text{Sqrt}(60) = 1.859 \text{ N/mm}^2$$

$$\begin{aligned} f_{cp} &= [((\text{Depth} - N_{Ab}) / \text{Depth}) \times (f_{pb} [\text{final}] - f_{pt} [\text{final}])] + f_{pt} [\text{final}] \\ &= [(150.00 - 64.115) / 150.00] \times (10.035 - 0.037) + 0.037 = 5.762 \text{ N/mm}^2 \end{aligned}$$

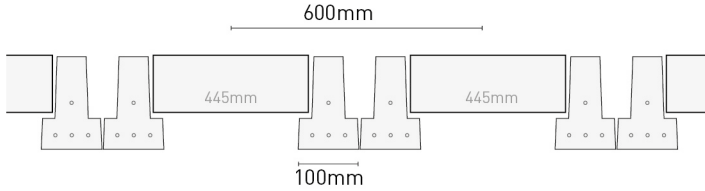
$$\begin{aligned} l_t &= \text{Transmission length} = K_t \times \text{Nominal tendon dia.} / \text{Sqrt}(f_{ci}) = 600 \times 5.00 / \text{Sqrt}(40) = \\ &= 474.342 \text{ mm} \end{aligned}$$

$$\begin{aligned} f_{cpx} &= [((\text{Bearing length} + N_{Ab}) / l_t) \times (2 - (\text{Bearing length} + N_{Ab}) / l_t)] \times f_{cp} \\ &= [(100 + 64.115) / 474.342] \times (2 - (100 + 64.115) / 474.342) \times 5.762 = 3.297 \text{ N/mm}^2 \end{aligned}$$

$$\begin{aligned} V_{co} &= [0.67 \times b_v \times \text{Depth}] \times [\text{Sqrt}(f_t^2) + (0.8 \times f_{cpx} \times f_t)] / 10^3 \\ &= [0.67 \times 47.20 \times 150.00] \times [\text{Sqrt}((1.859)^2) + (0.8 \times 3.297 \times 1.859)] / 10^3 \end{aligned}$$

$$\mathbf{= 13.715 \text{ kN}}$$

Double 600



(Service) (Ultimate)

Load:	2/Joists	0.474	$\times 1.4 = 0.664$ kN/m
	Grout	0.115	$\times 1.4 = 0.161$ kN/m
	Block	0.286	$\times 1.4 = 0.400$ kN/m
	Finishes	0.682	$\times 1.4 = 0.955$ kN/m
	SIL	0.890	$\times 1.6 = 1.424$ kN/m
		2.447 kN/m	3.604 kN/m

$$M = \frac{w l^2}{8} \therefore \sqrt{\frac{8 \times M}{w}}$$

where l = effective span

Clear span = effective span - 100mm

3 wire

Clear Span - Service loading = $[8 \times 2 \times 4.484 / 2.447]^{0.5} - 0.100 = 5.314$ m

Clear Span - Ultimate loading = $[8 \times 2 \times 6.390 / 3.604]^{0.5} - 0.100 = 5.226$ m

Hence 5.226 maximum allowable - MR Ult critical

3 Wire	Clear Soans - MR Serv = 2×4.484 / MR Ult = 2×6.390					
	SIL - kN/m ²					
Block Density	1.5	2.0	2.5	3.0	4.0	5.0
660	5.226	4.907	4.638	4.402	4.036	3.742
1350	4.943	4.669	4.436	4.227	3.899	3.632
1900	4.746	4.502	4.291	4.101	3.799	3.550

4 wire

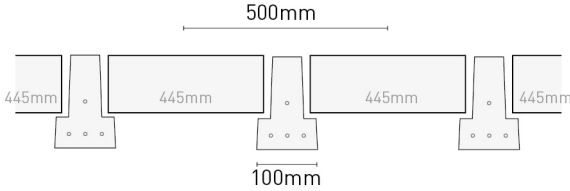
Clear Span Serv = $[8 \times 2 \times 4.804 / 2.447]^{0.5} - 0.100 = 5.504$

Clear Span Ult = $[8 \times 2 \times 8.616 / 3.604]^{0.5} - 0.100 = 6.084$

Hence 5.504 maximum allowable - MR Serv critical

4 Wire	Clear Soans - MR Serv = 2×4.804 / MR Ult = 2×8.616					
	SIL - kN/m ²					
Block Density	1.5	2.0	2.5	3.0	4.0	5.0
660	5.504	5.193	4.928	4.700	4.323	4.022
1350	5.192	4.928	4.699	4.499	4.164	3.893
1900	4.977	4.743	4.537	4.356	4.049	3.799

Single 500



(Service) **(Ultimate)**

Load:	Joist	0.237	× 1.4 = 0.332 kN/m
	Block	0.286	× 1.4 = 0.400 kN/m
	Finishes	0.568	× 1.4 = 0.795 kN/m
	SIL	0.741	× 1.6 = 1.186 kN/m
		1.832 kN/m	2.713 kN/m

$$M = \frac{wL^2}{8} \quad \therefore \sqrt{\frac{8 \times M}{w}}$$

where l = effective span

Clear span = effective span - 100mm

3 wire

Clear Span - Service loading = $(8 \times 4.484 / 1.832)^{0.5} - 0.100 = 4.325\text{m}$

Clear Span - Ultimate loading = $(8 \times 6.390 / 2.713)^{0.5} - 0.100 = 4.240\text{m}$

Hence 5.687 maximum allowable - MR Ult critical

3 Wire	Clear Spans - MR Serv = 4.484m/ MR Ult = 6.390					
	SIL - kN/m ²					
Block Density	1.5	2.0	2.5	3.0	4.0	5.0
660	4.240	3.955	3.720	3.521	3.201	2.954
1350	3.948	3.714	3.516	3.346	3.067	2.847
1900	3.748	3.545	3.371	3.220	2.969	2.767

4 wire

Clear Span Serv = $(8 \times 4.804 / 1.832)^{0.5} - 0.100 = 4.480\text{m}$

Clear Span Ult = $(8 \times 8.616 / 2.713)^{0.5} - 0.100 = 4.940\text{m}$

Hence 4.480 maximum allowable - MR Serv critical

4 Wire	Clear Spans - MR Serv = 4.804 / MR Ult = 8.616					
	SIL - kN/m ²					
Block Density	1.5	2.0	2.5	3.0	4.0	5.0
660	4.480	4.199	3.964	3.764	3.439	3.185
1350	4.148	3.921	3.727	3.559	3.280	3.056
1900	3.630	3.735	3.565	3.417	3.166	2.963

4 Wire Beam

Dimensions & Properties

CONCRETE

Depth = 150.00 mm;
 Effective Shear width = $b_v = 47.20$ mm;
 Area = $A = 9,895$ mm²;
 Structural Width = $b = 54.20$ mm;
 Depth of Top = $h_f = 127.00$ mm

Moment of Inertia = $I = 19.485019 \times 10^6$ mm⁴;
 NAb = 64.115 mm;

Bearing Length = 100 mm

Concrete Grade = $f_{cu} = 60$ N/mm²;

Concrete Strength at transfer = $f_{ci} = 40$ N/mm²

Shrinkage = E_{sh} (from Part 2, Fig 7.2) = 300

Youngs Modulus for Concrete Grade = $E_w = 36$ kN/mm²;

Youngs Modulus for Concrete at transfer = $E_t = 28$ kN/mm²;

Flexural Tensile Stress in Concrete (pretensioned) to be based on Class3 Crack Width 0.1mm

4.3.4.3 Flexural Tensile Stresses in Pretensioned Concrete for Grade 50 or more:

Class3 Crack Width 0.1mm = $4.8 \times$ Depth factor (Table 4.3) = $4.8 \times 1.1 = 5.3$ N/mm²

Section Modulus, $Z_t = I / \text{Depth} - N_{ab} = 0.226873 \times 10^6$ mm³

Section Modulus, $Z_b = I / N_{ab} = 0.303907 \times 10^6$ mm³

STEEL

Characteristic strength of steel = **1,770 N/mm²**. Youngs Modulus for Steel = $E_s = 200$ kN/mm²

Coefficient for transmission length = $K_t = 600$. Nominal Tendon Diameter = **5.00 mm**

No. of Tendons	Area of each tendon (mm ²)	Distance from base (mm)	Aps = No. x area (mm ²)	Aps x Distance from base (mm ³)	Pk = Aps x Char. strength / 10 ³ (kN)
3	19.64	23.00	58.92	1,355.16	104.288
1	19.64	78.00	19.64	1,531.92	34.763
4			78.56	2,887.08	139.051
Tendons in TENSION ZONE ONLY, i.e. distance from base is less than NAb:			58.92	1,355.16	104.288

Centroid (a1) = $(Aps \times \text{Distance}) / Aps = 36.750$ mm Eccentricity (e) = $N_{ab} - a_1 = 27.36$ mm

Centroid of tendons in TENSION ZONE ONLY (a2) = $(Aps \times \text{Distance}) / Aps = 23.000$ mm

RELEASE STRESSES

Initial P/S force (P1) = $70\% \times P_k = 70\% \times 139.051$ kN = 97.336 kN

Relaxation losses = $P_1 \times 1.2 \times 0.025 = 2.920$ kN

PIS force (P2) = $P_1 - [50\% \times \text{Relaxation losses}] = 97.336$ kN - 1.460 kN = 95.876 kN

fpt [on release] = $[(P_2 \times 10^3) / \text{Area}] - [(P_2 \times e \times 10^3) / Z_t]$

= $[(95.876 \times 10^3) / 9,895.00] - [(95.876 \times 27.36 \times 10^3) / 0.226873 \times 10^6]$

= -1.875 N/mm²

$$\begin{aligned} \text{fpb (on release)} &= ((P2 \times 10^3) / \text{Area}) + ((P2 \times e \times 10^3) / Z_b) \\ &= ((95.876 \times 10^3) / 9,895.00) + ((95.876 \times 27.36 \times 10^3) / 0.303907 \times 10^6) \\ &= 18.322 \text{ N/mm}^2 \end{aligned}$$

$$\begin{aligned} \text{fc (on release)} &= (((\text{Depth} - a_1) / \text{Depth}) \times (\text{fpb (on release)} - \text{fpt (on release)})) + \text{fpt (on release)} \\ &= (((150.00 - 36.750) / 150.00) \times (18.322 - -1.875)) + -1.875 \text{ N/mm}^2 \\ &= 13.374 \text{ N/mm}^2 \end{aligned}$$

Elastic deformation losses

$$\begin{aligned} \text{loss 1} &= ((P2 / A) + (P2 \times e^2 / I \times 10^6)) \times (\text{Aps} \times E_s / E_t) \\ &= ((95.876 / 9,895.00) + (95.876 \times 27.36^2 / 19.485019 \times 10^6)) \times (78.56 \times 200.00 / 28.00) \\ &= 7.505 \text{ kN} \end{aligned}$$

$$\begin{aligned} \text{P3 after loss 1 loss 2} &= P2 - \text{loss 1} = 95.876 - 7.505 \text{ kN} = 88.371 \text{ kN} \\ &= ((P3 \text{ after loss 1} / A) + (P3 \text{ after loss 1} \times e^2 / I \times 10^6)) \times (\text{Aps} \times E_s / E_t) \\ &= ((88.371 / 9,895.00) + (88.371 \times 27.36^2 / 19.485019 \times 10^6)) \times (78.56 \times 200.00 / 28.00) \\ &= 6.917 \text{ kN} \end{aligned}$$

$$\begin{aligned} \text{P3 after loss 2 loss 3} &= P2 - \text{loss 2} = 95.876 - 6.917 \text{ kN} = 88.959 \text{ kN} \\ &= ((P3 \text{ after loss 2} / A) + (P3 \text{ after loss 2} \times e^2 / I \times 10^6)) \times (\text{Aps} \times E_s / E_t) \\ &= ((88.959 / 9,895.00) + (88.959 \times 27.36^2 / 19.485019 \times 10^6)) \times (78.56 \times 200.00 / 28.00) \\ &= 6.963 \text{ kN} \end{aligned}$$

$$\begin{aligned} \text{P3 after loss 3 loss 4} &= P2 - \text{loss 3} = 95.876 - 6.963 \text{ kN} = 88.913 \text{ kN} \\ &= ((P3 \text{ after loss 3} / A) + (P3 \text{ after loss 3} \times e^2 / I \times 10^6)) \times (\text{Aps} \times E_s / E_t) \\ &= ((88.913 / 9,895.00) + (88.913 \times 27.36^2 / 19.485019 \times 10^6)) \times (78.56 \times 200.00 / 28.00) \\ &= 6.960 \text{ kN} \end{aligned}$$

$$\begin{aligned} \text{P3 after loss 4 loss 5} &= P2 - \text{loss 4} = 95.876 - 6.960 \text{ kN} = 88.916 \text{ kN} \\ &= ((P3 \text{ after loss 4} / A) + (P3 \text{ after loss 4} \times e^2 / I \times 10^6)) \times (\text{Aps} \times E_s / E_t) \\ &= ((88.916 / 9,895.00) + (88.916 \times 27.36^2 / 19.485019 \times 10^6)) \times (78.56 \times 200.00 / 28.00) \\ &= 6.960 \text{ kN} \end{aligned}$$

$$\begin{aligned} \text{P3 after loss 5 Final Force (P3)} &= P2 - \text{loss 5} = 95.876 - 6.960 \text{ kN} = 88.916 \text{ kN} \\ &= 88.916 \text{ kN} \end{aligned}$$

$$\begin{aligned} \text{fpt [at transfer]} &= ((P3 \times 10^3) / \text{Area}) - ((P3 \times e \times 10^3) / Z_t) \\ &= ((88.916 \times 10^3) / 9,895.00) - ((88.916 \times 27.36 \times 10^3) / 0.226873 \times 10^6) \\ &= -1.739 \text{ N/mm}^2 \end{aligned}$$

$$\begin{aligned} \text{fpb [at transfer]} &= ((P3 \times 10^3) / \text{Area}) + ((P3 \times e \times 10^3) / Z_b) \\ &= ((88.916 \times 10^3) / 9,895.00) + ((88.916 \times 27.36 \times 10^3) / 0.303907 \times 10^6) \\ &= 16.992 \text{ N/mm}^2 \end{aligned}$$

$$\begin{aligned} \text{fc [at transfer]} &= (((\text{Depth} - a_1) / \text{Depth}) \times (\text{fpb [at transfer]} - \text{fpt [at transfer]})) + \text{fpt [at transfer]} \\ &= (((150.00 - 36.750) / 150.00) \times (16.992 - -1.739)) + -1.739 \text{ N/mm}^2 \\ &= 12.403 \text{ N/mm}^2 \end{aligned}$$

Remaining Losses

$$\text{Relaxation} = (50\% \times \text{Relaxation Losses}) = (0.5 \times 2.920) = 1.460 \text{ kN}$$

$$\text{Shrinkage} = (E_{sh} \times E_s \times \text{Aps}) / 10^6 = (300 \times 200.00 \times 78.56) / 10^6 = 4.714$$

$$\begin{aligned} \text{Creep} &= ((1.8 / (E_t \times 10^3)) \times E_s \times \text{fc [at transfer]} \times \text{Aps} = ((1.8 / (28.00 \times 10^3)) \times 200.00 \times 12.403 \times \\ &78.56 = 12.528 \text{ kN} \end{aligned}$$

$$\text{Final PIS force (P4)} = P3 - \text{Remaining Losses} = 88.916 - (1.460 + 4.714 + 12.528) = 70.214 \text{ kN}$$

Final Stresses

$$\begin{aligned} \text{fpt [final]} &= ((P4 \times 10^3) / A) - ((P4 \times e \times 10^3) / Z_t) \\ &= ((70.214 \times 10^3) / 9,895.00) - ((70.214 \times 27.36 \times 10^3) / 0.226873 \times 10^6) \\ &= -1.373 \text{ N/mm}^2 \end{aligned}$$

$$\begin{aligned} \text{fpb[final]} &= ((P4 \times 10^3) / A) + ((P4 \times e \times 10^3) / Zb) \\ &= ((70.214 \times 10^3) / 9,895.00) + ((70.214 \times 27.36 \times 10^3) / 0.303907 \times 10^6) \\ &= 13.418 \text{ N/mm}^2 \\ \text{fc[final]} &= (((\text{Depth} - a1) / \text{Depth}) \times \text{fpb [final]} - \text{fpt [final]}) + \text{fpt [final]} \\ &= (((150.00 - 36.750) / 150.00) \times (13.418 - -1.373)) + -1.373 \text{ N/mm}^2 \\ &= 9.794 \text{ N/mm}^2 \end{aligned}$$

Service Moment = MR

$$\begin{aligned} \text{MRt} &= (((0.33 \times \text{fcu}) - \text{fpt [final]}) \times Zt) / 10^6 = (((0.33 \times 60) - -1.373) \times 0.226873 \times 10^6) / 10^6 = 4.804 \text{ kNm} \\ \text{MRb} &= ((\text{fpb [final]} + \text{Flex.Tensile Stress}) \times Zb) / 10^6 = ((13.418 + 5.3) \times 0.303907 \times 10^6) / 10^6 \\ &= 5.682 \text{ kNm} \\ \mathbf{MR} &= \mathbf{4.804 \text{ kNm}} \end{aligned}$$

Ultimate Moment = Mu

Mu is determined by using tendons in the TENSION ZONE ONLY = a2

$$\begin{aligned} a3 &= \text{Depth} - a2 = 150.00 - 23.000 = 127.000 \text{ mm} \\ P_u &= 0.87 \times P_k[\text{tension}] = 0.87 \times 104.288 = 90.731 \text{ kN} \\ a_{cl} &= (P_u \times 10^3) / (0.45 \times \text{fcu} \times b_v) = (90.731 \times 10^3) / (0.45 \times 60 \times 47.20) = 71.195 \text{ mm} \\ \mathbf{Mu} &= (P_u \times (a3 - (a_{cl} \times 0.45))) / 10^3 = (90.731 \times (127.000 - (71.195 \times 0.45))) / 10^3 \\ &= \mathbf{8.616 \text{ kNm}} \end{aligned}$$

Ultimate Shear Resistance = Vco

$$\begin{aligned} f_t &= 0.24 \times \text{Sqrt}(\text{fcu}) = 0.24 \times \text{Sqrt}(60) = 1.859 \text{ N/mm}^2 \\ \text{fcp} &= (((\text{Depth} - N_{Ab}) / \text{Depth}) \times (\text{fpb [final]} - \text{fpt [final]}) + \text{fpt [final]}) \\ &= (((150.00 - 64.115) / 150.00) \times (13.418 - -1.373)) + -1.373 = 7.096 \text{ N/mm}^2 \\ l_t &= \text{Transmission length} = K_t \times \text{Nominal tendon dia.} / \text{Sqrt}(f_{ci}) = 600 \times 5.00 / \text{Sqrt}(40) = \\ &= 474.342 \text{ mm} \\ \text{fcp}_x &= (((\text{Bearing length} + N_{Ab}) / l_t) \times (2 - (\text{Bearing length} + N_{Ab}) / l_t)) \times \text{fcp} \\ &= (((100 + 64.115) / 474.342) \times (2 - (100 + 64.115) / 474.342)) \times 7.096 = 4.061 \text{ N/mm}^2 \\ \mathbf{V_{co}} &= (0.67 \times b_v \times \text{Depth}) \times (\text{Sqrt}(f_t^2) + (0.8 \times \text{fcp}_x \times f_t)) / 10^3 \\ &= (0.67 \times 47.20 \times 150.00) \times (\text{Sqrt}((1.859^2) + (0.8 \times 4.061 \times 1.859))) / 10^3 \\ &= \mathbf{14.617 \text{ kN}} \end{aligned}$$



Contact us on: 0727-628-749 or 0792-628-749